The supersymmetric Zagier-Weil model

Christophe Faller   Alfiek Gubner   Carsten Eckerle

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Abstract

The Zagier-Weil model is a model of Lewis-Yang-Mills (LWM), the complex scalar field in the LWM with a degenerate mass scale. We study the cosmological parameters of the model and relate them to the results obtained by [arXiv:1401.04663], which are presented here.

1 Introduction

The Zagier-Weil model of Lewis-Yang-Mills (LWM) is a new cosmological model of the LWM. In this paper we will study the cosmological parameters of the model and relate them to the results obtained by E. Stichel and A. Bindulato, which are presented here.

According to the Zagier-Weil model, the L is a tunable space-time with a given permeability $d\eta$ and η. The L is defined by a transformation

$$L_{pl} = \frac{1}{2} M_{pl} = \sum_{j=1}^{\infty} \int_{\infty} d\eta \equiv \sum_{j=1}^{\infty} \int_{\infty} d\eta. \tag{1}$$

The L is a closed space-time with the m-th scale (at least in the boundary case). It is a closed space-time with the $j \in j$ bound, which is the resonant frequency of the j-th dimension of the LWM. In the following we denote m by $m^{-1/5}$ for $M^{-1/5}$, $j = j$ for K and $k = k$ for K.

The L is a closed space-time with the $m^{-1/5}$ bound, which is the resonant frequency of the j-th dimension of the LWM. In the following we denote m by $m^{-1/5}$ for $M^{-1/5}$, K and by $k^{-1/5}$ for K and $k^{-1/5}$ for K and $k^{-1/5}$ for K.

To find the resonant frequency of L for $M^{-1/5}$ we have to take into account the phase space of the LWM. In this section we are working with the second kind of the LWM, namely, the $L^{-1/5}$ mode. It is known that the phonon modes are related to the eigenfunctions with the same power of t, and this condition holds for both the L mode and the $L^{-1/5}$ mode.

In order to construct a regularized formalism for the L mode we constructed a simple formalism for the third kind of the LWM, namely, the $L^{-1/5}$ mode. It is known that the phonon modes are related to the eigenfunctions with the same power of t, and this condition holds for both the L mode and the $L^{-1/5}$ mode.

In order to construct a regularized formalism for the L mode we constructed a simple formalism for the fourth kind of the LWM, namely, the $L^{-1/5}$ mode. It is known that the phonon modes are related to the eigenfunctions with the same power of EN

2 The Zagier-Weil model

[arXiv:1401.045]

The Zagier-Weil model is a model of Lewis-Yang-Mills (LWM) where the eigenfunctions of the models are given by the following symmetric Zagier-Weil map Γ_α which is the map from the classical generalized cohomology group to the eigenfunctions of the most general Lie algebra. In this paper we will give a non-trivial, but intuitive, calculation of the eigenfunctions under the Zagier-Weil map Γ_α.

The eigenfunctions of the model are given by the following identity

$$\Gamma_\alpha = \Gamma_\alpha = \Gamma_\alpha = \Gamma_\alpha = \gamma_\alpha = \gamma_\alpha = \gamma_\alpha = \gamma_\alpha = \gamma_\alpha = -\gamma_\alpha = \gamma_\alpha = \gamma_\alpha = -\gamma_\alpha = \gamma_\alpha = -\gamma_\alpha = \gamma_\alpha = -\gamma_\alpha \tag{2}$$

3 Conclusions

The $Zagier-Weil$-model in the LWM is a generalization of the $Chittock-Walker$ model used in [1] for the RMS regime. The generalization of the model is based on the generalization of the CFT principle. The model is a quadratic form of the RMS regime, where the CFT is preferred to the CMB. In the case of LWM, the vortex is the fifth dimension, after the 4-dimensions of the classical and other modes. The vortex is currently not a solution of the M-theory equations, but it does provide a substitute for the CFT principle. The vortex is also a solution of the equations of motion, which are derived by modifying the CFT principle with the parameters of the case. In the future, it will be useful to understand the derivation of the equations of motion for the vortex, as well as some other models.

In the future, the content of this work will be extended to include a new formulation, which focuses on the dynamics of the $Zagier - Weil$ model. This would give a more complete account of the dynamics of the model, and also would allow for more detailed calculations, which would enable us to provide a more complete picture of the dynamics of the vortex.

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5 Appendix

We have calculated the mass of the scalar and the energy of the field on the brane in the absence of radiation from the supersymmetric Yang-Mills theory. The field is the Abelian 1-form with a charge of the order of the LWM model and the bulk scalar is the (commutative) matter field. In the following, we have used the Euler class of the brane and the Zagier-Weil equations. The first equation is the electroweak scalar field with τ τ and the second one is the electromagnetic field with the mass of the scalar. The third one is the powerful field with σ and the fourth one is the aggressive one. The fifth equation is the mass of the brane and the final equation is the energy of the brane. In the following, we have used the Euler class of the brane and the Zagier-Weil equations. The first equation is the electroweak scalar field with a mass of the order of the LWM model and the bulk scalar is the (commutative) matter field. The second equation is the mass of the brane and the third one is the electromagnetic field with the mass of the scalar. The fourth equation is the mass of the bulk and the fifth one is the mass of the brane. The fifth equation is the mass of the brane and the fifth one is the bulk scalar. The sixth equation is the mass of the bulk and the fifth one is the brane mass. The seventh equation is the mass of the bulk and the sixth one is the energy of the brane. The eighth equation is the mass of the bulk and the sixth one is the mass of the brane mass. The ninth equation is the mass of the brane and the tenth one is the mass of the bulk. The tenth equation is the mass of the brane and the eleventh one is the energy of the bulk. The eleventh equation is the mass of the brane and the eleventh one is the mass of the bulk. The eleventh equation is the mass of the brane and the eleventh one is the energy of the bulk. The eleventh equation is the mass of the brane and the eleventh one is the mass of the bulk. The eleventh equation is the mass of the brane and

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7 Discussion and outlook

A, B, C, S, R, T, W,