Non-minimal Derivative Gravity

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June 25, 2019

Abstract

We study the gravitational force between two particles in a non-minimal derivative gravitational field theory and provide an equation that approximates the deterministic gravitational force. We show that the non-minimal derivative gravity term is a direct consequence of the interference of the scalar field. This result gives the constraint in the eigenvalue of the gravitational force between two particles, and it is verified by a test of the law of the conservation of eigenvalues in the relativistic case. This constraint is derived from the Euler's formula for the scalar field.

1 Introduction

In the recent papers [1] we showed that the non-minimal derivative gravitational equation has a direct correspondence with the gravitational force between two objects. This correspondence can be used to solve the Einstein equations in the non-minimal formulation. This direct correspondence is still not fully understood. However, it has been shown that in the non-minimal formulation the gravitational force between two objects is given by: ¿ $\tau^2 \equiv \int_0^\infty \tau\tau^2 - \frac{1}{8\pi^2} = 0$. The non-minimal formulation of the Einstein equations can be used to define the gravitational force between two objects,

$$\tau^2 \equiv \int_0^\infty \tau\tau^2 - \frac{1}{8\pi^2} = 0. \tag{1}$$

This direct correspondence between the gravitational force between two objects is a consequence of the interference of the scalar field. In the non-minimal approximation the gravitational force between two objects can be calculated in a non-minimal deterministic gravitational field theory. This direct correspondence between the gravitational force between two objects is an important constraint in the gravitational field theory.

The gravitational field in the non-minimal formulation is a direct consequence of the gravitational field in the non-minimal revision of the Standard Model. In the non-minimal approximation the gravitational force between two objects is a strongly suppressed free field. This may imply that the gravitational force between two objects in the non-minimal formulation is a weakly suppressed intrinsic field. This has been proposed as a possible solution to the non-minimal equilibrium problem.

In the non-minimal approximation the gravitational field is a superpotential. However, since in the non-minimal case the gravitational field is a relative term, one would expect that the gravitational field does not have a direct correspondence to the gravitational field in the non-minimal formulation. Given an exact formulation of the non-minimal non-minimal approximation one would expect that the gravitational field does not have direct correspondence with the gravitational field in the non-minimal approximation. The non-limiting case in which the gravitational force between two objects is a weakly suppressed intrinsic field ω may be described by a "p-adic" Lagrangian Λ_P which is the electromagnetic equivalent of the electromagnetic proton. The gravitational potential in the non-minimal approximation, in general, is proportional to $\Lambda_P \to \Lambda_P$.

It is interesting to note that the gravitational potential in the non-minimal formulation is proportional to ω and that in the non-minimal approximation the gravitational field is a normal derivative. This suggests that the gravitational field in the non-minimal approximation is a finite non-negative energy-momentum tensor $\tilde{\omega}$ with a non-vanishing energy $\omega =\to \Lambda_P$. As we discussed in section [sec:finite], this means that the real part of the gravitational potential vanishes for small values of ω. In this paper we would like to emphasize that the non-minimal non-minimal formulation is not the only possible formulation of the non-minimal non-minimal equations.

2 Eigenfunctions of gravitational fields

In this section we will discuss the eigenfunctions of gravitational fields. According to the standard model of gravitational fields are defined by two-point perturbations on the gravitinos, which are defined as follows:

$$= \int \frac{d^2}{(2\pi)^2} \int \frac{d^4}{(2\pi)^4} \int \frac{d^4}{(2\pi)^4} \tag{2}$$

3 Solution to the Euler's equation

The mode and the gravitational potential are well-defined, so let us consider the equation in τ for $k = 1$ and $k = 0$ and $k = 1, 2, 3$. In this case, $k = 1$ is a scalar field (which is a universal vector space), $k = 1$ is the singularity of the mode T and $k = 1$ is a scalar field (which is a singularity of the mode T). Then, $T = \sum_{k=1}^{2} \sum_{k=0}^{2}$. That is, $k = 1$ is the eigenvalue of the gravitational force between two particles, $k = 1$ is the eigenvalue of the gravitational force between two particles in the presence of another gravitational force, $k = 1$ is the eigenvalue of the gravitational force between two particles in the absence of another gravitational force. Thus, the equation is $\prod_{k=1}^{2} = \sum_{k=0}^{2} \sum_{k=1}^{2}$.

In the case of $k = 1$, K_1 is the eigenvalue of the gravitational force between two particles, K_1 is the eigenvalue of the gravitational force between two particles in the presence of another gravitational force and K_1 is the eigenvalue of the gravitational force between two particles in the absence of another gravitational force. Thus, $k = 1$ is the

4 Conclusions

Importantly, in the case of a non-minimal Dirichlet/White model, the dependence of the parameters of the model on the tiny parameters of the field (λ) can be expressed as a function of the parameters. This allows us to write down the eigenvalues of the gravitational force between two particles, which can then be used to constrain the dynamical field. The most direct method to obtain the eigenvalues was developed by van den Bos [2-3] who assumed that the parameters are fixed and, therefore, they are completely determined by the parameters. In this paper we have used this approach to obtain the eigenvalues of the gravitational force between two particles, and we have shown that the non-minimal derivative gravitational force between two particles is a direct consequence of the interference of the scalar field.

The interaction of a particle with a scalar field is a complex system and its eigenfunctions and their derivatives are governed by the eigenfunctions of the physical equations of motion. This allows us to give a way of treating the dynamics of the gravitational field in the non-minimalistic case, which typically assumes the presence of a scalar field. This approach is also well-suited for the case of a non-minimal Dirichlet/White model[4]. Using this method, the eigenfunctions for the gravitational force between two particles can be obtained, which are simply the eigenfunctions of the physical equations of motion and their derivatives. The more intricate these derivatives, the more general the entire system can be written. This allows us to present a rigorous method to study the dynamics of the gravitational field between two particles and a simple test for the conservation of eigenfunctions.

The more interesting is the scenario of a non-minimal Dirichlet/White model in the context of a non-minimal Einstein/Hilbert field theory. The eigenfunctions are not fixed, but they can be optimized by requiring a much more complicated system. The most elegant solution is a combination of the approaches described here and the well-known variations. In this paper we have tried to present a rigorous method to study the dynamics of the gravitational field between two particles and a simple test for the conservation of eigenfunctions.

The next step is to develop a method that can be applied to the non-

5 Acknowledgments

We are very grateful to the Institut gnrale de Recherche Physique-Algebraique and the Department of Physics for the hospitality and support. K. Kocherl-Hoffmann is grateful to all the colleagues who have worked diligently to prepare for the presentation of these results. S. W. Kocherl-Hoffmann also acknowledges support from the European Research Council. We are grateful for the kind hospitality shown in the second part of this letter and the kind support of the German Research Foundation for the support with the superior equipment and hospitality. S. W. Kocherl-Hoffmann was also grateful for the hospitality of the Institute of New Physics, and for the possibility to discuss the history and perspectives of the work. The work was also supported by the International Research Foundation for New Physics. K. Kocherl-Hoffmann is grateful to the Institute of New Physics, the German Research Foundation, the Ministry of Education and Research, the Ministry of Economy and Competitiveness, the National Natural Science Foundation of Korea (NWFK) for financial support, and the National Institute of Physics and Engineering

(NINPE) of Korea (GNS) for technical support. S. W. Kocherl-Hoffmann is grateful to the NINCE Technical Support Center (PTCC) for logistical support. S. W. Kocherl-Hoffmann is grateful for discussions with S. P. Foa and M. J. Zimmermann at the Institute for New Physics, University of Bern, Switzerland. S. Kocherl-Hoffmann is grateful to the NINCE for the hospitality and support. S. W. Kocherl-Hoffmann is grateful to N. J. Kragh for the kind hospitality in the second part of this letter, and for the kind hospitality of the Institute of New Physics, University of Bern, Switzerland for arranging the visit to Switzerland.