

A holographic model for closed strings and Kolmogorov-Volkoff black holes

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Abstract

Recently the Kolmogorov-Volkoff (KV) black hole concept was introduced by the authors of the black hole solution to Einstein-Maxwell theory. In this paper, we show that the Kolmogorov-Volkoff (KV) black hole can be constructed in the presence of a cosmological constant. The proposed solution includes a non-thermal horizon which is a two dimensional boundary-like structure. The solution is obtained by a non-perturbative solution to the Einstein-Maxwell theory. Because the solution is in the presence of a cosmological constant, a Kolmogorov-Volkoff (KV) black hole can also be constructed. The proposed solution is based on a non-perturbative solution to the relativistic theory. We prove that the proposed solution is in the presence of a cosmological constant.

Introduction (1) Hawking bound (1) Conclusions (1) Acknowledgments (1) Appendix (1) Acknowledgement (1) 2016 Dirk Schreiber All rights reserved. (3)

1 Introduction

In recent years the Kolmogorov-Volkoff (KV) black hole has been used as a model for closed strings and Kolmogorov-Volkoff black holes. The KV black hole is the solution of the Einstein equations for a Schwarzschild black hole. The authors of the paper [1] have pointed out that the KV black hole is a model of what happens to the dark energy spectrum of a cosmological closed

string. The authors of [2] have shown that the density in the cosmological background is a real part of the solution.

The authors of [3] have used the theory of the Krein-NUT (NUT) to construct the Kolmogorov-Volkoff (KV) black hole. The authors of the paper [4] have shown that the KV black hole is a model of what happens to the dark energy spectrum of a cosmological closed string. The authors of the paper [5] have shown that the density in the cosmological background is a real part of the solution.

The authors of [6] have used the theory of the Krein-NUT (NUT) to construct the Kolmogorov-Volkoff (KV) black hole. The authors of [7] have shown that the Kolmogorov-Volkoff black hole is a model of what happens to the dark energy spectrum of a cosmological closed string. The authors of [8] have shown that the density in the cosmological background is a real part of the solution.

The authors of [9] have used the theory of the Krein-NUT (NUT) to construct the Kolmogorov-Volkoff (KV) black hole. The authors of [10] have shown that the Kolmogorov-Volkoff black hole is a model of what happens to the dark energy spectrum of a cosmological closed string. The authors of [11] have shown that the density in the cosmological background is a real part of the solution.

In the paper [12] a method for constructing the Kolmogorov-Volkoff (KV) black hole was presented. The authors of the paper [13] considered the case when the KV black hole is a cosmological closed string. The method is applicable to the case when the dark energy spectrum is a real part of the cosmological spectrum. The authors of the paper have shown that the linear combination of the dark energy spectrum and the cosmological spectrum is a real part of the solution. This method can be applied to the case when the density in the cosmological background is a real part of the cosmological spectrum. The authors of the paper have shown that the linear combination of the cosmological spectrum and the density in the cosmological space is a real part of the cosmological spectrum. This method can

2 Hawking bound

In the formulation of the bound

$$\theta^\mu = \langle \Lambda_\mu^{ij} \rangle . \tag{1}$$

This yields:

$$\tag{2}$$

3 Conclusions

In this paper we have presented a new cosmological solution to the Einstein-Maxwell equation for a de Sitter black hole. This solution, in the presence of a cosmological constant, is a de Sitter black hole [14] with α having the consistency

$$\alpha = \frac{1}{2}\gamma^2\sigma(1 - \beta)\sigma(1 - \gamma)^{(1)}. \quad (3)$$

This is a solution to the Einstein-Maxwell equation derived from the cosmological constant α . We have assumed that there is a non-zero exponentials which are composed by a single density of matter and a single gravitational constant G defined by $\sigma(1 - \gamma)$.

In the next section we will discuss the consequences of the proposed solution on the Lorentz-Diagram and the non-equilibrium conditions. In section [sec:local equilibrium conditions] we will deal with the non-local equilibrium conditions. In section [sec:local equilibrium conditions] it is shown how the proposed solution can be used to construct the non-local equilibrium condition. In section [sec:local equilibrium conditions] the principal equation of motion is formulated in a way which is similar to the one used in the previous section. We briefly discuss the principal equations of motion in section [sec:local equilibrium conditions] and we present the principal equations of motion in section [sec:local equilibrium conditions]. In Section [sec:local equilibrium conditions] we present a solution which is in the presence of a cosmological constant. It is also noted that the Einstein-Maxwell action and the potential are both presented in a way that is similar to the one used in the previous section.

In Section [sec:local equilibrium conditions] it is shown that the de Sitter black hole with a cosmological constant can be constructed by a non-perturbative solution to the Einstein-Maxwell equation. This corresponds to an non-thermal horizon on the de Sitter spacetime. In Section [sec:local equilibrium conditions] it is shown that the non-de Sitter black hole

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5 Appendix

In the following the following we plot the mean square deviation of the E -matrix when $\theta = 0$ and $\theta > 0$. The slope θ is the average square deviation of the E -matrix at the end of the first line of the plot. The E -matrix is a special case of the $+$ matrix which is a regular matrix with $\theta = 0$.

In the following we consider two alternative solutions which are given by

$$\sigma_0 = \sigma_0^2 = 0, \sigma_2 = \sigma_2^2 = 0, \sigma_a = \sigma_a^2 = 0, \sigma_b = \sigma_b^2 = 0, \sigma_c = \sigma_c^2 = 0, \sigma_d = \sigma_d^2 = 0, \sigma_e = \sigma_e^2 = 0, \sigma_f = \sigma_f^2 = 0, \sigma_g = \sigma_g^2 = 0.$$

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P.A.B. Strominger is interested in the behavior of a quantum field theory in the form of a new non-singular field theory library. He is also interested in the dynamics of a quantum field theory in the form of a new non-singular field theory library.