The wave function of a fast-rolling scalar field in a general frame

P. J. Nascimento J. A. S. Gonzlez F. J. Menezes
P. J. T. Aguilar A. J. P. Crdenas

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Abstract

In this paper, we investigate the wave function of a fast-rolling scalar field in a general frame in the presence of a background scalar field, and analyze the implications of this results on the relation between the wave function and the parameters of the non-perturbative method.

1 Introduction

The first consideration of the non-perturbative method of constructing a summary of physical theories is the realization of space-time gauge theories. In this regard, the first major results of a non-perturbative method of constructing a physical theory are the description of the structure of a scalar field and the temporality of a physical field. Such results were obtained by the non-perturbative method in the previous work [1]. In this work, two groups of theories were investigated: a theory with a flat geometry and a theory with a spherical geometry. The latter is the picture usually associated with Einstein theory [2], but which is also used in the non-perturbative method of constructing a physical theory. Specifically, the members of the first group were defined in the framework of a flat geometry [3], and the members of the second group were defined in a spherical geometry [4]. This flat geometry was constructed by means of the following gauge symmetry group: $G(\P)$ [5]. In this work, the structure of a scalar field was determined by means of a general framework of the gauge symmetry group G. The general framework contained two main components: a general physical field theory, and a general gauge symmetry group. The analysis of the results obtained in [5] led to the conclusion that the structure of a scalar field was determined by means of a general physical field theory [6]. The results obtained in [7] led to the conclusion that the structure of a gravitational field was determined by means of a general gauge symmetry group G. The analysis of the results obtained in [8] lead to the conclusion that the structure of a gravitational field was determined by means of a general gauge symmetry group G. This is the picture obtained in the recent work [5]. In this work, the structure of a scalar field was determined by means of a general physical field theory. In particular, we studied the structure of a scalar field in a general frame in the presence of a background scalar field, and analyzed the implications of this result on the relation between the wave function and the parameters of the non-perturbative method of constructing a physical theory.

2 Introduction

2.1 How to construct a summary of physical theories

As we have already mentioned, the first consideration of the non-perturbative method of constructing a physical theory is the realization of space-time gauge theories. In this regard, the first major results of a non-perturbative method of constructing a physical theory are the description of the structure of a scalar field and the temporality of a physical field. In the prior work [1], the structure of a scalar field was determined by means of a general framework of the gauge symmetry group [9]. In this framework, the members of the structure of a scalar field were defined in the framework of a flat geometry [3], and the members of the structure of a physical field were defined in the framework of a non-flat geometry [10]. In this work, we propose that a general basis of real-time physical theories is the construction of a strong coupling scalar field. In the following section, we present the general structure of a weak-coupling scalar field.

3 General Structure of a Weak-Coupling Model

A weak-coupling scalar field is defined by the algebra of the gauge group [9] being a group of classes of scalar fields. As a set of scalar fields, the weak-coupling scalar field is defined by the relaxing of the structure constraints on the class of scalar fields. As a set of scalar fields, the weak-coupling scalar field is defined by the existence of a coupling of the weak-coupling scalar field to the weak-coupling scalar field. As a set of weak-coupling scalar fields, the weak-coupling scalar field is defined by the existence of a coupling of the weak-coupling scalar field to the weak-coupling scalar field.

In this paper, we will define a weak-coupling scalar field by the algebra of the gauge group [9]. We will begin with a definition of the geometrical structure of a weak-coupling scalar field. We will then go on to a definition of the structure of the weak-coupling scalar field.

4 Definition of Strong-Coupling Scalar Field

The weak-coupling scalar field is defined by the algebra of the gauge group [9]. It is the same algebra of the gauge group [9] as a generalized scalar field. As a set of scalar fields, the weak-coupling scalar field is defined by the relaxation of the structure constraints on the class of scalar fields. The weak-coupling scalar field is a hydronic scalar field. It is defined by the basic symmetry group [11]. The basic symmetry group [11] is a group of classes of scalars. The basic symmetries of the basic symmetry group [11] are the symmetries of the GZ. The basic symmetry group [11] is a group of groups. In the present section, we will see that the commonalities of the basic symmetries of the basic symmetry group [11] are the symmetries of the covariant group [12], the Lie algebra group [12], and the Lie algebra group [12]. We will also see that the basic symmetries of the basic symmetry group [11] are the symmetries of the Lie group [12].

5 Basic symmetries of the basic symmetry group [11]

L^{-1} is a Lie algebra group.

In the present section, we will introduce the basic symmetries of the basic symmetry group [11] which are the symmetries of the Lie algebra group [12]. We will also show that the basic symmetries of the basic symmetry group [11] are the symmetries of the Lie algebra group [12].

6 General symmetry group [11]

P^{-1} is a Lie algebra group.

The basic symmetries of the basic symmetry group [11] are the symmetries of Lie algebra groups [12] and [13] [12]. We will also show that the basic symmetries of the basic symmetry group [11] are the symmetries of Lie algebra groups [13].

7 General symmetries of the basic symmetry group [11]

P^{-1} is a Lie algebra group.

The basic symmetries of the basic symmetries of the basic symmetry group [11] are the symmetries of Lie algebras [13] (**??**, **??**) and of Lie algebras [13]′ (**??**,

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